

Perceptual adaptation: Getting ready for the future

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Motivation

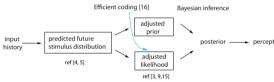
- Adaptation is ubiquitous in sensory systems. It can express itself through various aftereffects [1]: change in discrimination threshold;
- perceptual biases.

It is commonly believed that these aftereffects arise from a mismatch between encoding and decoding (i.e., coding catastrophy [2]). Here we propose a new theoretical framework that unifies various ideas for a functional understanding of percpetual adaptation.

Key idea: The goal of adaptation is to prepare the perceptual system for the next sensory input.

- -- Predicting the distribution for the next input based on input history.
- -- Adjusting both encoding and decoding based on this distribution (matching decoding with encoding).

Theoretical framework



Predicting future stimulus distribution



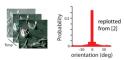
 $\textit{Goal} \colon \mathsf{Predicting} \ \ P(\theta_{t+1}|\ \theta_t, \theta_{t-1}, \theta_{t-2}, \dots)$

A model of sensory input-



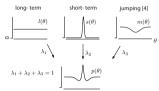


Hypothesis: Exploiting temporal regularities of the input.



Visual sampling: local + jumping (saccades)

- piecewise smoothness leads to an increased probability of future samples around the previous sample values.
- Jumping to a new region (self-avoiding [18]) leads to a decreased probability of future samples around the previous sample values.
- Two sources of ingredients:
- image: local smoothness + global discreteness
- image: local smoothness +
 sampling: inhibition of return



 $\lambda_1=1$ $\lambda_2=1$ i.i.d. process Brownian motion

 $\lambda_3 = 1$ sampling without replacement

Cost function: $\underset{p(\theta)}{\operatorname{arg \ min}} \sum_{i} \lambda_{i} D_{KL}(\; . \; || p(\theta))$ $\longrightarrow p(\theta) = \lambda_{1} l(\theta) + \lambda_{2} s(\theta) + \lambda_{3} m(\theta)$

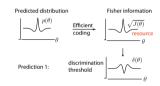
Adaptation experiments :

 λ_2 is large due to fixation, $\;s(\theta)\;$ is narrow; $\;m(\theta)\;$ is deeper.

Natural viewing conditions:

 λ_2 is smaller, $s(\theta)$ is wider; $m(\theta)$ is more uniform.

Adjusting the sensory representation

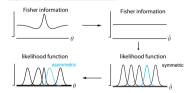


For small Gaussian noise [6], maximizing information

$$\begin{split} I[\theta,m] &= \frac{1}{2} \ln(\frac{\int \sqrt{J(\theta)} d\theta}{2\pi e}) - D_{KL}(p(\theta)||c\sqrt{J(\theta)}) \\ &\longrightarrow p(\theta) \propto \sqrt{J(\theta)} \qquad \text{(also see ref [6, 7, 8])} \end{split}$$
 i.e. allocating resource according to prior belief.

$$\delta(\theta) \propto \frac{1}{\sqrt{I(0)}}$$
 (ref [14])

Adjusted likelihood (asymmetric)



Efficient coding leads to an asymmetry in the likelihood function, with a heavier tail *away* from the peak of the prior [9].

Bayesian observer model for adaptation



Prediction 2:

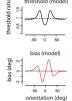
- bias away from adaptor if stimulus is close to adaptor;
- bias toward adaptor if stimulus is far away from adaptor.

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Model vs. Data







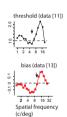
threshold (data [10])

Spatial frequency





(log unit)



Conclusions

- A theoretical framework for perceptual adaptation
- predicting the future input distribution;
- efficiently adjusting the sensory representation according to this distribution;
 Bayesian inference based on efficient sensory representation.
- Predictions of perceptual biases and change in discrimination threshold
 well match the reported adaptation aftereffects (orientation & spatial frequency)

Reference

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